# UNIVERSAL $\gamma_{2}$-FIXERS TREES 

Rita Zuazua<br>Universidad Nacional Autónoma de México e-mail: ritazuazua@ciencias.unam.mx

A set of vertices $D$ of a graph $G$ is a distance 2-dominating set of $G$ if the distance between each vertex $u \in(V(G)-D)$ and $D$ is at most two. Let $\gamma_{2}(G)$ denote the size of a smallest distance 2-dominating set of $G$.

For any permutation $\pi$ of the vertex set of $G$, the prism of $G$ with respect to $\pi$ is the graph $\pi G$ obtained from two copies $G_{1}$ and $G_{2}$ of $G$ by joining $u \in V\left(G_{1}\right)$ and $v \in V\left(G_{2}\right)$ if and only if $v=\pi(u)$. If $\gamma_{2}(\pi G)=\gamma_{2}(G)$ for any permutation $\pi$ of $V(G)$, then $G$ is called a universal $\gamma_{2}$-fixer. In this work we study the property to be universal $\gamma_{2}$-fixers for a tree $T$.

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